

AL Physics MC Answers

Year:1987

Question Number: :4,18,24,26,30,33,35,37,38,39,42,43,44

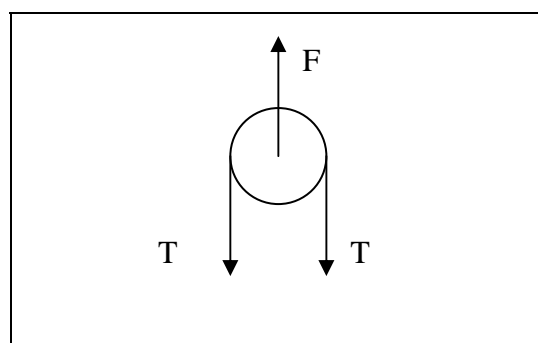
1987MC(4)

Let T be the tension

The heavier mass falls down

Solve T by $30 - T = 3a$ and $T - 20 = 2a$

The pulley is stationary, so all the forces acting on it are balance.

So force acting on the axle, $F = 2T$ 

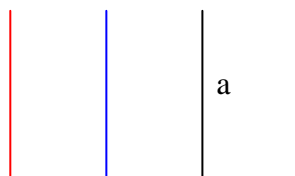
1987MC (18)

The flashing frequency is slightly lower than the wave frequency.

Between two flashes, the wave has moved slightly more than one wavelength.

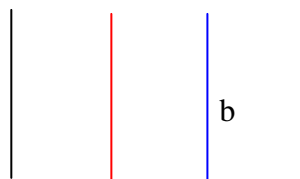
First flash

(first sight)



Second flash

(second sight)



Third flash

(third sight)



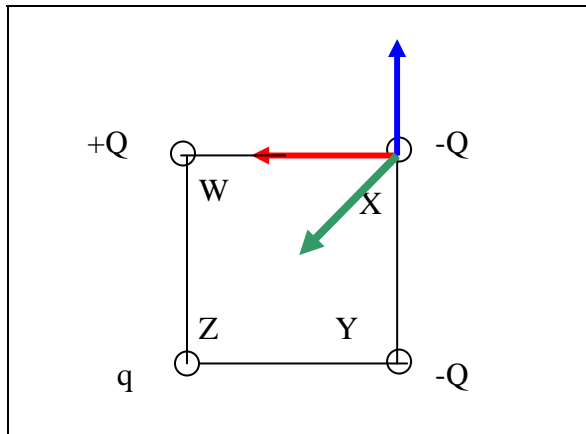
It seems that a, b and c are three consecutive positions of the same wavefront (a moves to b, b moves to c). So the wave pattern appears to move forward slightly.

The diagram illustrates the setup for observing interference fringes. Two slits, labeled S and S' , are positioned on the left. Light waves pass through these slits and overlap on a screen on the right. The central maximum is labeled O , and the distance between two adjacent maxima is labeled B . The distance between two adjacent minima is labeled **Fringes**.

(3) S' is still there if the mirror is moved forward. No change.

$$\rightarrow \lambda = 0.45 \text{ m}$$

1987MC (30)



Blue arrow: electrostatic force acting on X by Y

Red arrow: electrostatic force acting on X by W

Green arrow: electrostatic force acting on X by Z.

[q must be positive]

The resultant force is X to W, so the downward component of the green force is cancelled by the blue force [this explains why q must be positive].

Suppose $WX=YX = 1$, so $ZX = \sqrt{2}$

$$\frac{qQ}{4\pi\epsilon_0(\sqrt{2})^2} \cos 45^\circ = \frac{QQ}{4\pi\epsilon_0(1)^2}$$

Hence, we get $q = +2\sqrt{2}Q$

1987MC (33)

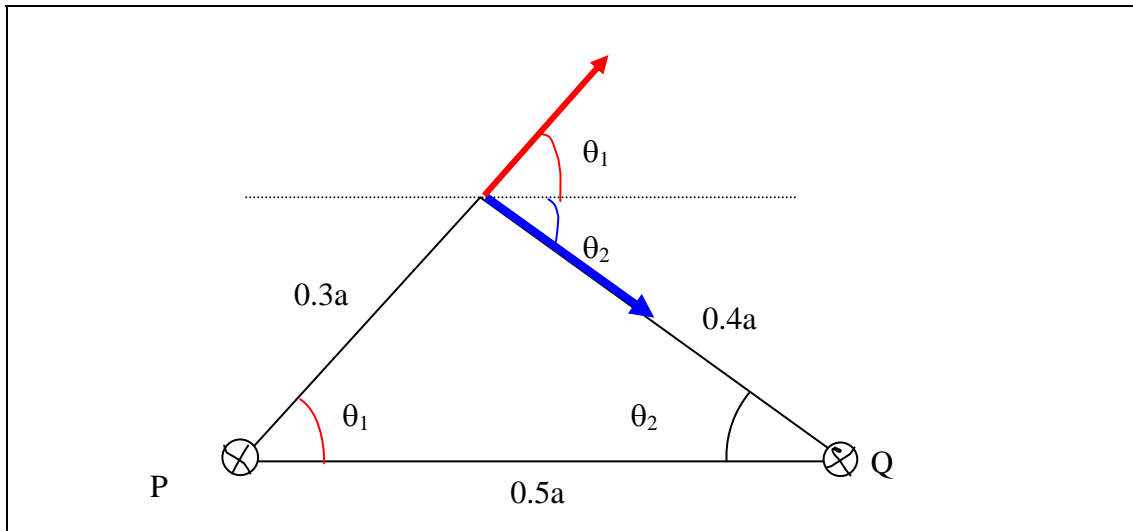
P.d. across XB = $75 \text{ cm} \times 0.02 \text{ V cm}^{-1} = 1.5 \text{ V}$

The galvanometer is balance, so in the lower circuit

P.d. across the 2Ω resistor = 1.5 V

Current in the 2Ω resistor = $1.5\text{V}/2 \Omega = 0.75 \text{ A}$

Therefore, the current in the ammeter = 0.75 A



Blue arrow – magnetic field due to wire at P

$$B_P = \frac{\mu_o I}{2\pi(0.3a)}$$

$$\text{Horizontal component of } B_P = \frac{\mu_o I}{2\pi(0.3a)} \cos \theta_2 = \frac{\mu_o I}{2\pi(0.3a)} \frac{0.4a}{0.5a}$$

Red arrow – magnetic field due to wire at Q

$$B_Q = \frac{\mu_o I}{2\pi(0.4a)}$$

$$\text{Horizontal component of } B_P = \frac{\mu_o I}{2\pi(0.4a)} \cos \theta_1 = \frac{\mu_o I}{2\pi(0.4a)} \frac{0.3a}{0.5a}$$

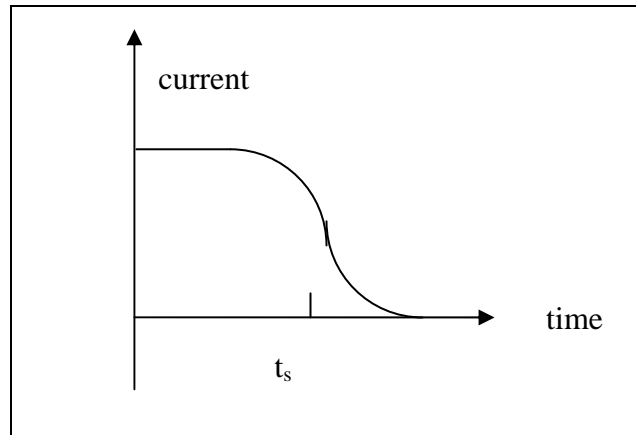
The total horizontal component

$$= \frac{\mu_o I}{2\pi(0.3a)} \frac{0.4a}{0.5a} + \frac{\mu_o I}{2\pi(0.4a)} \frac{0.3a}{0.5a} = \frac{\mu_o}{2\pi a} (2.67 + 1.5)$$

1987MC (37)

The cut off of the current will last for a short time interval. The induced emf is proportional to the rate of change of current (slope of the graph).

The induced emf hence rises and falls sharply.



1987MC(38)

Magnitude of induced emf $V = \frac{dBA}{dt}$, where A is the area of the field region.

$$= \pi(0.08)^2(0.01)$$

$$= 2.0 \times 10^{-4} \text{ V}$$

Direction of induced emf

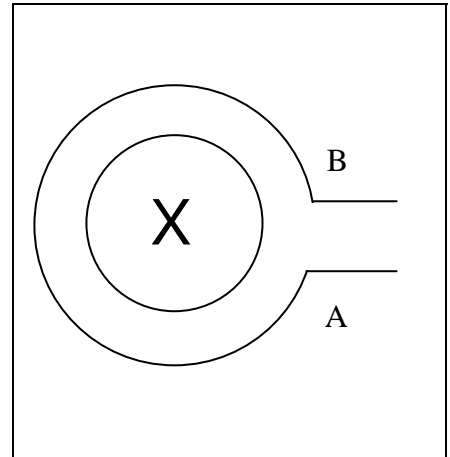
Suppose the circuit is complete, so there is an induced current..

The external field is pointing into page and decreasing, so the field produced by the induced current points into page too (in order to "refill" the losing part and hence restore the field to the original level ---- Lenz's law).

By the right hand grab rule, **the induced current flows from A to B via the loop.**

Hence, B is positive and A is negative.

The E-field inside the wire is also A to B (the E-field exists no matter the circuit is complete or not), which is defined as the direction of emf.



1987MC (39)

After squaring, the graph becomes a horizontal line of V^2 .

Mean of V^2 is also V^2 . Root of mean of V^2 is V

1987MC (42)

Referring to the standard explanation of smoothing circuit, (1) and (2) are correct because time constant = RC. A large RC means the voltage doesn't drop significantly during the discharging period (p.d. across the diode is larger than the applied a.c., the diode does not conduct. The capacitor discharges through the load and thus maintains a comparatively smoother voltage. To be smooth, the discharge should be as slow as possible).

(3) is correct because a higher frequency means a shorter period. The voltage drop is small when the discharging period is short

1987MC(43)

- Consider the output loop:

$$6V = I_C R_L + V_{out}$$

When R_L is increased, V_{out} will decrease.

- The a.c. amplification gain $G = -\beta \frac{R_L}{R_b}$

When R_L is increased, G , and hence V_{pp} will increase.
