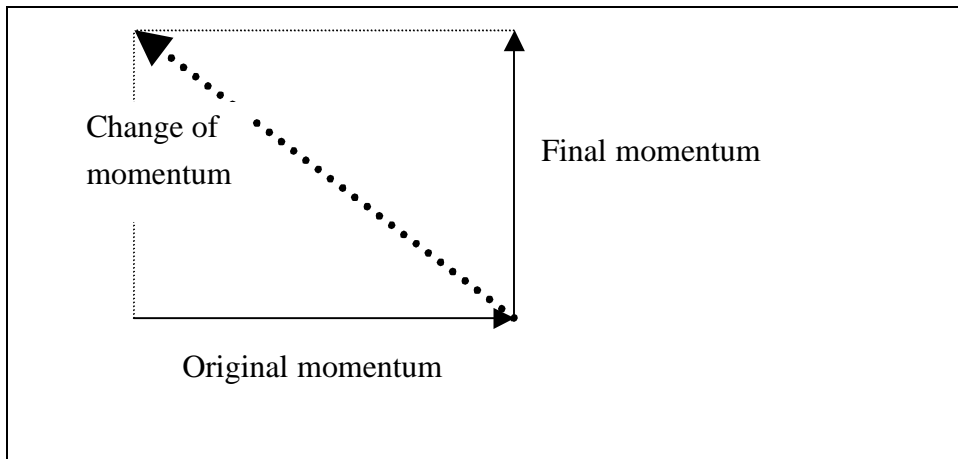


Question Number:4,5,10,16,22,27,37,38,39

1994MC(4)

Impulse = change of momentum



The momenta are moving in different directions, so we need to do a vectorial subtraction.

$$\text{Impulse} = 0.5\sqrt{20^2 + 30^2} = 18 \text{ kg m s}^{-1}$$

1994MC(5)

To execute circular motion, at the top, the centripetal force required is provided by the weight
 $mv^2/R = mg \dots \dots \dots (1)$

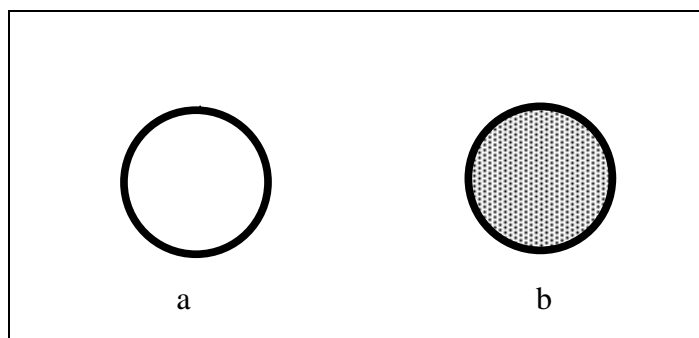
$$v = \sqrt{gR}$$

Let v' be the speed at the bottom.

By conservation of energy, $mv'^2/2 = mv^2/2 + mg(2R) \dots \dots \dots (2)$

From (1) and (2), $v' = \sqrt{5gR}$

1994MC(10)



- (1) Equal mass, so (a) has a larger ML .
- (2) Period is proportional to \sqrt{I} , so (a) has a longer period.
- (3) They are released at the same height. KE at the lowest point = loss in gravitational PE = mass \times $g \times$ distance from axis of rotation to center of mass. Their centers of mass are both situated at their centers.

Same PE loss, so same KE.

1994MC(16)

Beat frequency = $f_1 - f_2$

From the information, we know

$$f_X - f_Y = 3 \text{ or } f_Y - f_X = 3 \quad (\text{we do not know which one is higher})$$

$$f_X - f_Z = 1 \text{ or } f_Z - f_X = 1$$

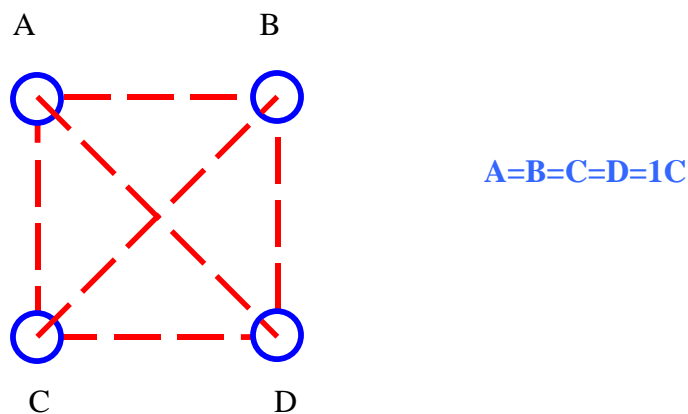
- (1) Not sure although it is possible
- (2) Not sure although it is possible
- (3) X is the highest frequency so only $f_X - f_Y = 3$ and $f_X - f_Z = 1$ are possible. The order is $f_X > f_Y > f_Z$.
-

1994MC (22)

Young's modulus $E = \frac{Fl}{Ae}$, so the applied force $F = \frac{EA}{l}e$. Compare with Hooke's law, we identify

$$k = \frac{EA}{l}.$$

A wire is cut into two and arranged side by side. Effectively, $l \rightarrow \frac{l}{2}$ and $A \rightarrow 2A$, so k is four times larger.



To put the four charges together, we consider a procedure like this

(1) At the beginning, there is no charge, so no energy is needed to put A to the top-left corner.

(2) At the presence of A, B is brought to the top-right corner,

$$\text{energy required} = q_B (\text{potential due to A}) = 1 \left(\frac{1}{4\pi\epsilon_0 r} \right) = \frac{1}{4\pi\epsilon_0}$$

(3) At the presence of A and B, C is brought to the bottom-left corner,

$$\text{energy required} = q_C (\text{potential due to A and B}) = 1 \left(\frac{1}{4\pi\epsilon_0 r} + \frac{1}{4\pi\epsilon_0 (\sqrt{2}r)} \right)$$

(4) At the presence of A, B and C, D is brought to the bottom-right corner,

$$\text{energy required} = q_D (\text{potential due to A, B and C}) = 1 \left(\frac{2}{4\pi\epsilon_0 r} + \frac{1}{4\pi\epsilon_0 (\sqrt{2}r)} \right)$$

Total energy stored in the system = sum of the above all energies.

$$= \frac{4}{4\pi\epsilon_0 r} + \frac{2}{4\pi\epsilon_0 r\sqrt{2}} = \frac{1}{4\pi\epsilon_0 r} (4 + \sqrt{2})$$

In general, if there are charge $q_1, q_2, q_3, \dots, \dots, q_n$ and their separation are $r_{12}, r_{13}, r_{23}, \dots, \dots$, then the total energy stored in them is

$$\frac{1}{4\pi\epsilon_0} \left(\frac{q_1 q_2}{r_{12}} + \frac{q_1 q_3}{r_{13}} + \dots + \frac{q_1 q_n}{r_{1n}} + \dots \right)$$

Any two of them “meet” one time only.

The discrete points will match the solid line when each f is decreased by a fixed amount or V is increased by a fixed amount.

$$hf - \phi = eV$$

- A. The intensity does not affect the stopping potential
- B. "A fixed zero error" \rightarrow each data differs the true value by a fixed amount.
- C. "read the wrong scale on his voltmeter so that his readings always double the actual readings" \rightarrow

<u>Actual reading</u>	<u>Wrong data</u>
2 V	4 V
3 V	6 V
4 V	8 V

The wrong data is always larger than the true reading, but the difference is NOT a constant.

- D. "wrong polarity of the d.c. supply" \rightarrow the electrons will not be stopped, so no stopping voltage V will be found.
- E. If V is plotted against wavelength, the graph will not be a straight line.

$$\frac{hc}{\lambda} - \Phi = eV \quad (\text{a straight line must have the form } y = mx + c)$$

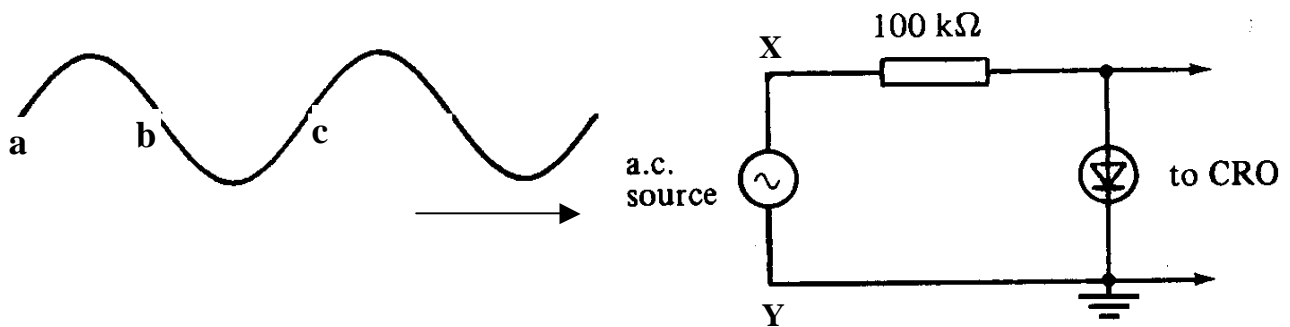
1994 MC (38)

$$E_n = -\frac{X}{n^2}$$

First excited state ($n = 2$) to the ground state ($n = 1$), $hf = E_2 - E_1 = \frac{3}{4} X$.

Drop from $n = 3$ to $n = 2$, $hf' = E_3 - E_2 = \frac{5}{36} X$

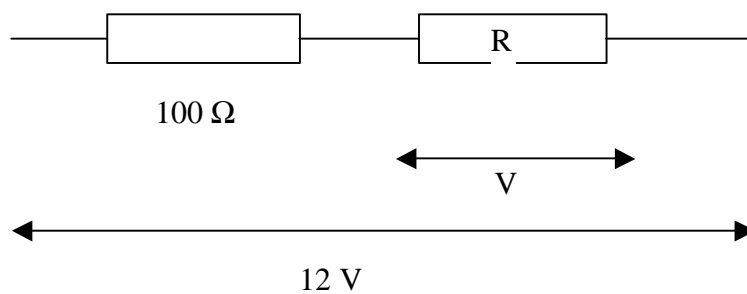
$$\frac{f'}{f} = \frac{5}{27} \quad f' = 0.19 f$$



- The diode is assumed ideal, i.e.
 resistance of the diode = 0 (perfect conductor) when the diode is forward-biased.
 resistance of the diode = infinity (perfect insulator) when the diode is backward-biased.

- When two resistors are connected in series, **the larger the resistance, the higher the p.d.**

e.g.



When $R = 100000000 \Omega$, $V \approx 12V$

When $R = 0.000000001 \Omega$, $V \approx 0V$

- Referring to the resistor-diode circuit, the diode is forward –biased when **X is positive w.r.t. Y (a to b)**, The resistance of the diode is much smaller than that of the resistor, so

p.d across the diode ≈ 0

When **X is negative w.r. t. Y (b to c)**, the diode is backward-biased, the resistance of the diode is much larger than that of the resistor, so

p.d. across the diode \approx external applying a.c

So, the p.d. across the diode is



1994(AS) MC (17)

$$\text{Power input} = 12 \text{ V} \times 0.5 \text{ A} = 6 \text{ W}$$

$$\text{Useful power output} = 10 \text{ N} \times 0.4 \text{ ms}^{-1} = 4 \text{ W}$$

$$\text{Power loss due to internal resistance of the armature} = I^2 R = 2 \text{ W}$$

$$(0.5)^2 R = 2 \quad R = 8 \Omega$$